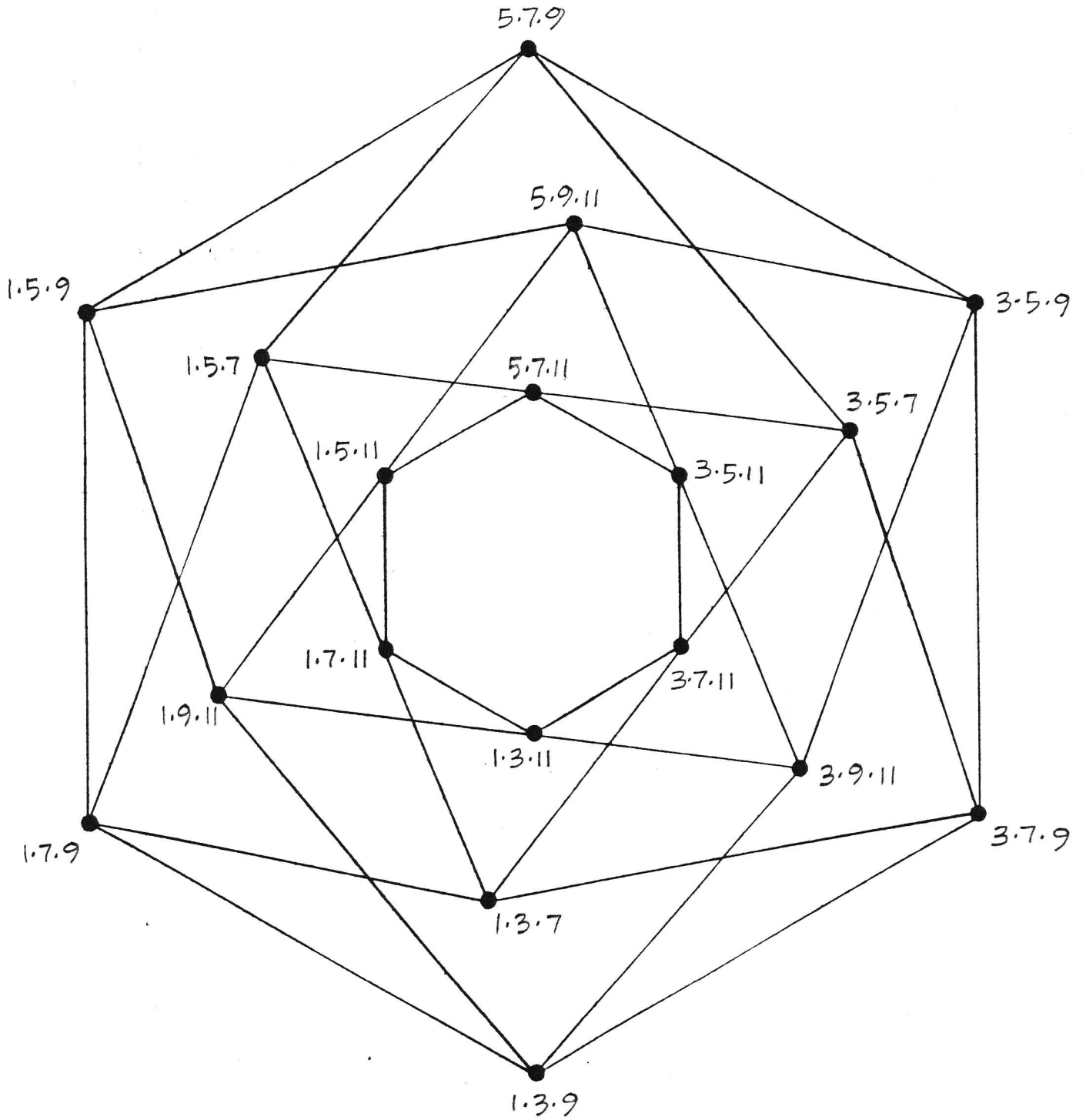


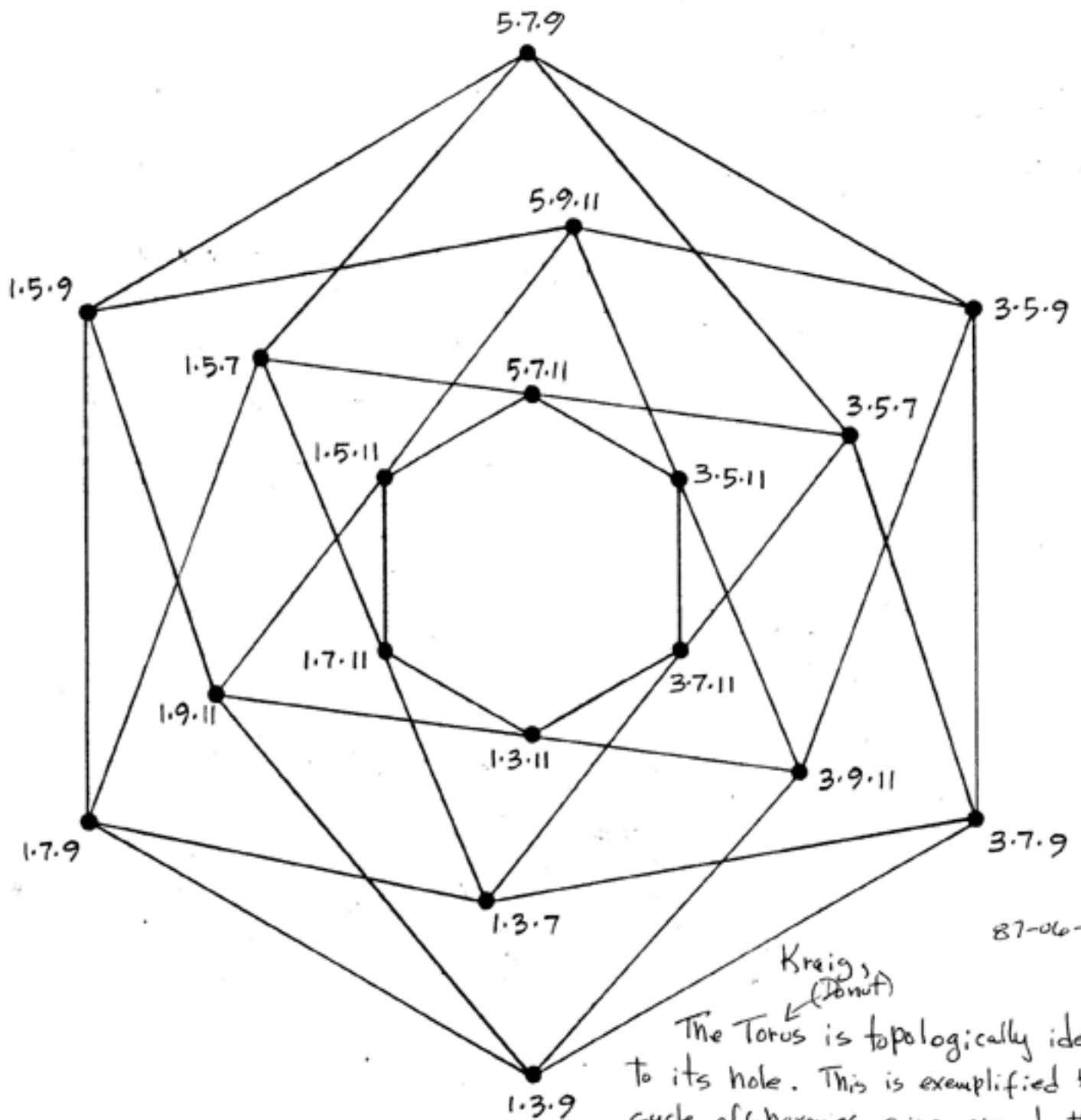
TORUS

© 1987 by Erv Wilson



TORUS

© 1987 by Erv Wilson



87-06-08

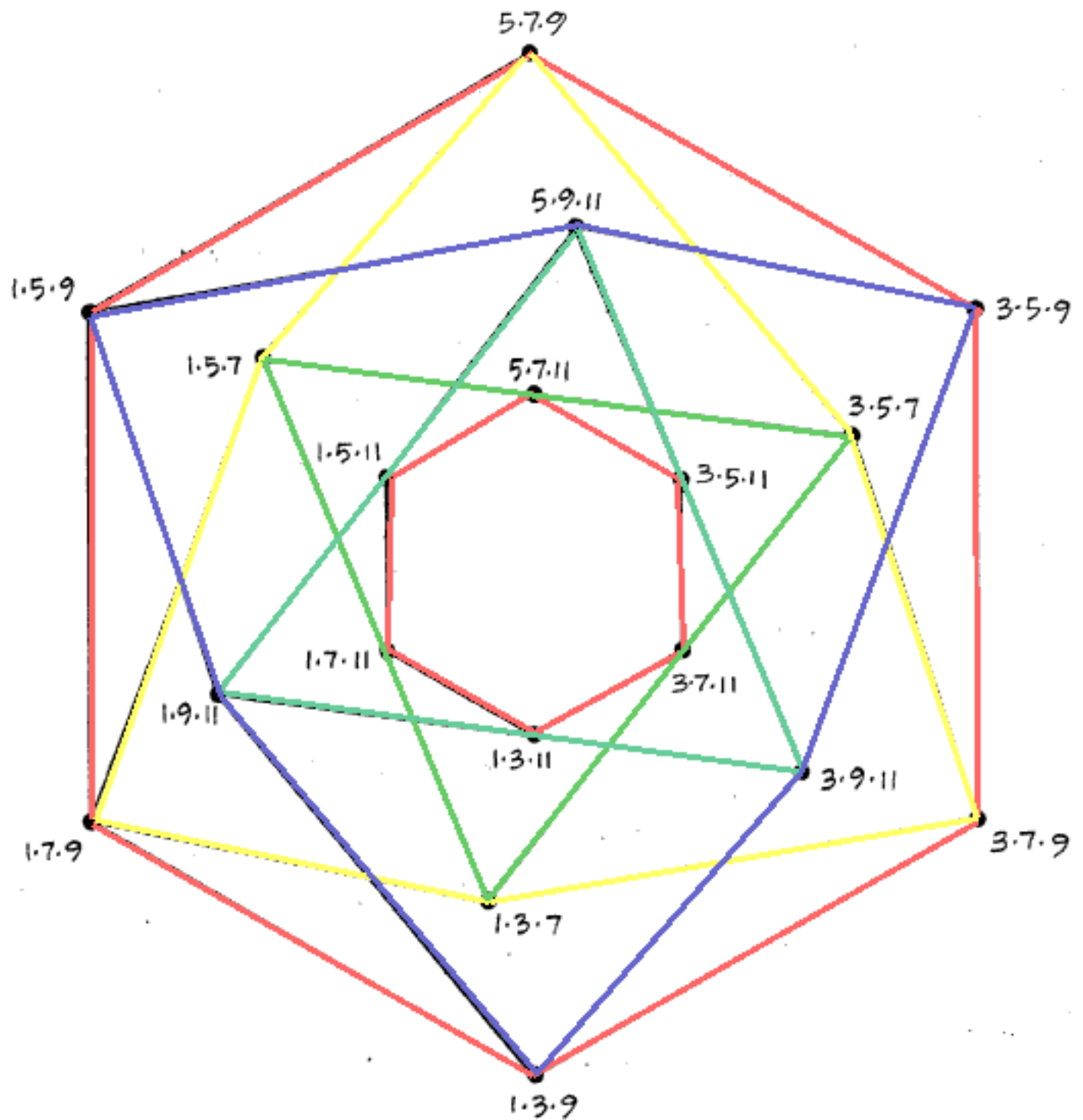
Kraigs
(Donut)

The Torus is topologically identical to its hole. This is exemplified by a cycle of 6 hexagies going around the body of the "donut" and a second cycle of 6 hexagies going thru the hole. Each is a transform of the other. There are 10 different permutations of this figure.

Erv

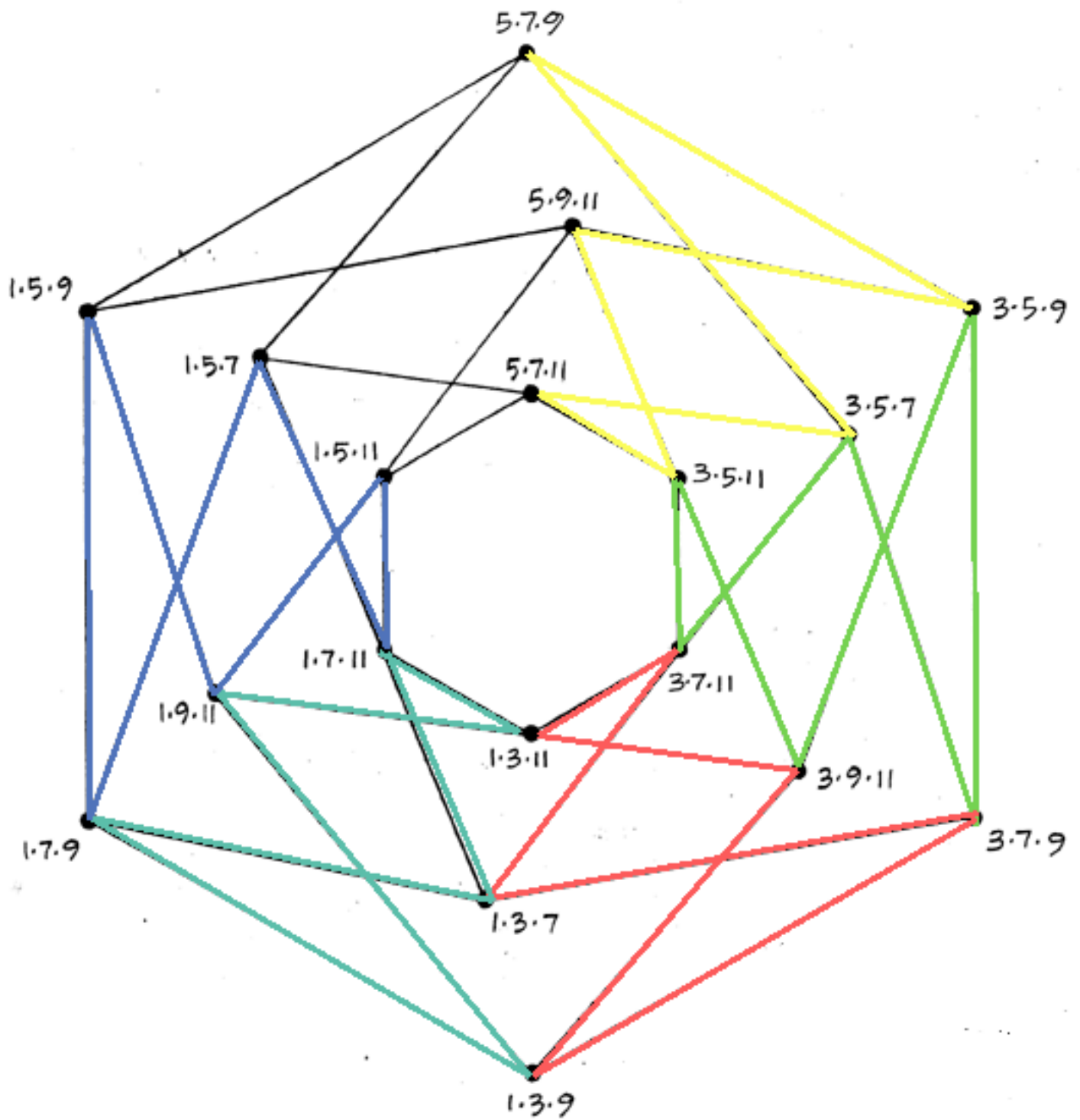
TORUS

© 1987 by Eric Wilson

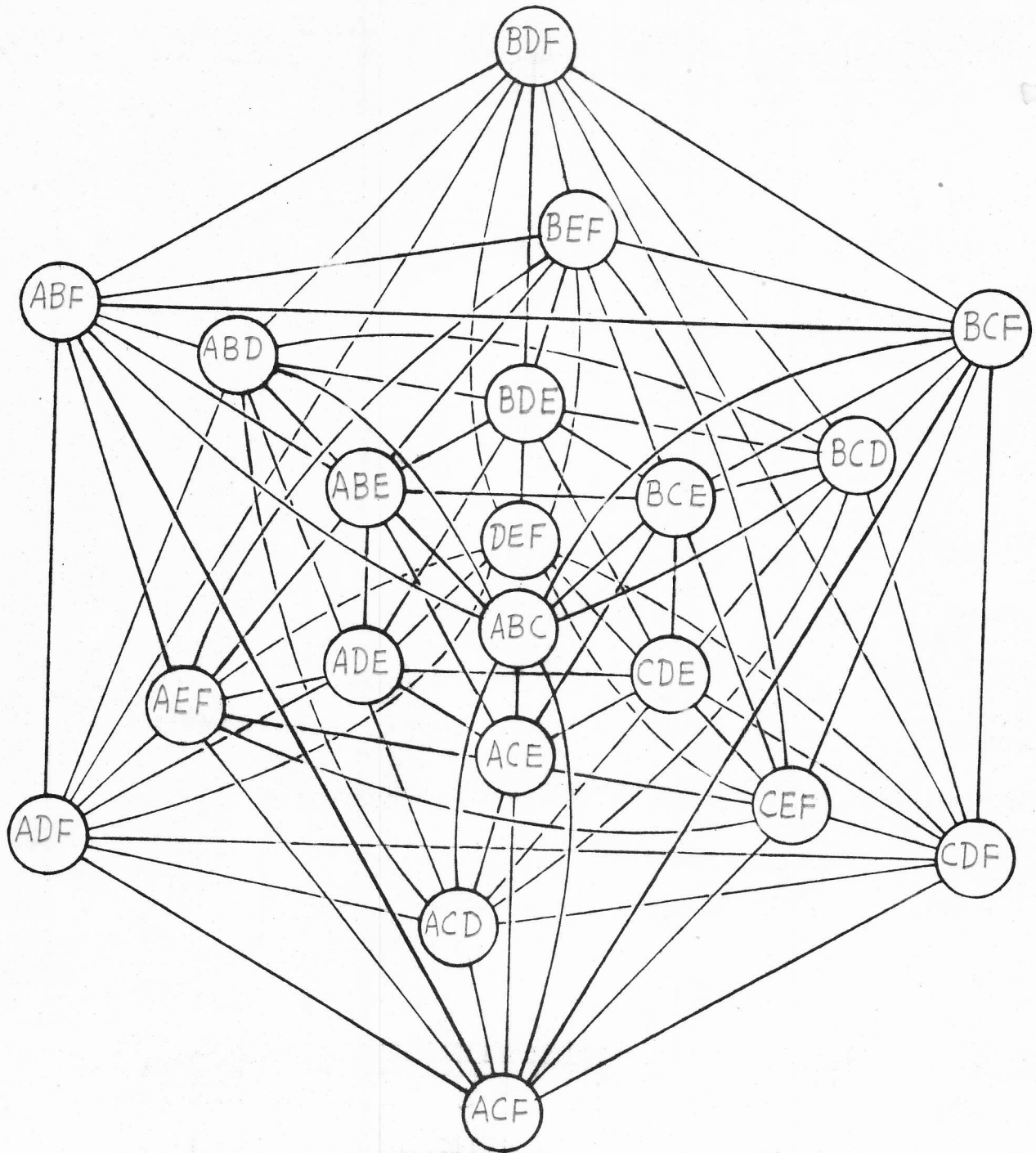


TORUS

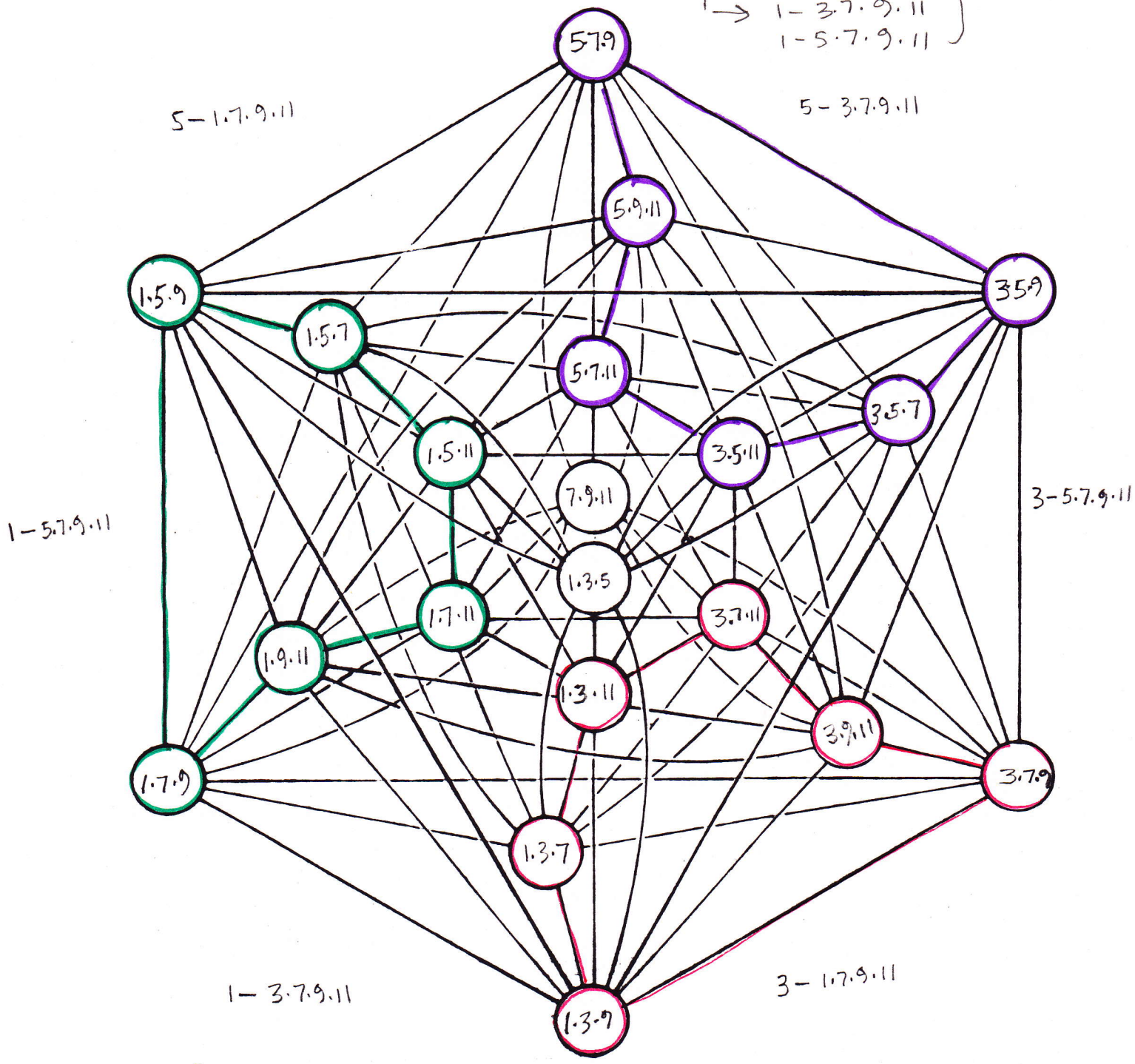
© 1987 by Eric Wilson



Letter to John Chalmers
from Erv Wilson Mar 18, 1969



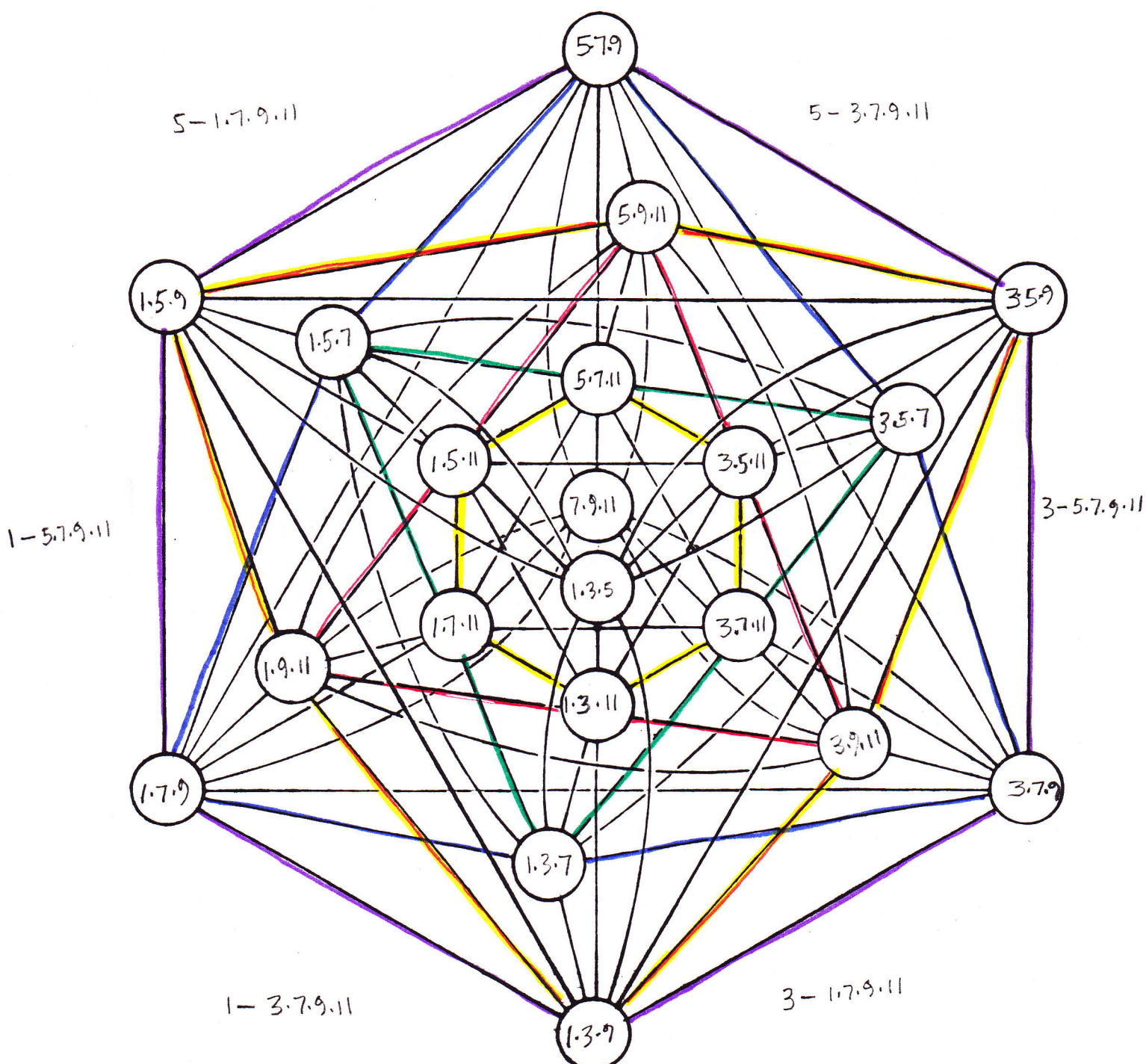
cycle of 3 → 5-1.7.9.11
 → 5-3.7.9.11
 → 3-5.7.9.11
 → 3-1.7.9.11
 → 1-3.7.9.11
 → 1-5.7.9.11 } cycle of 6 hexaics



5
7

The cycle of Hexaics around the doughnut
 E.W 87

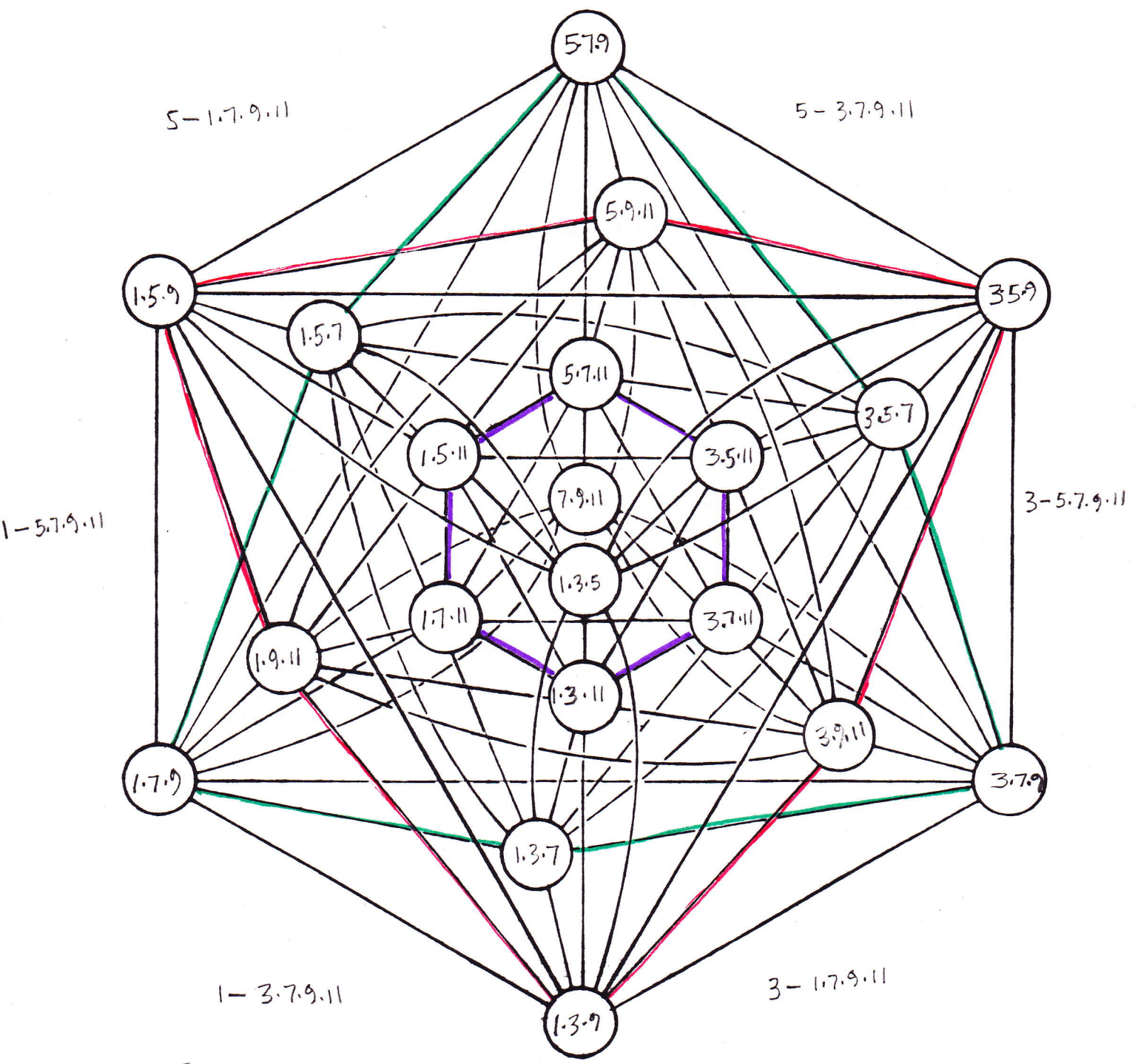
Showing 3 equal spaced hexaics in color



5
7
1

- Purple 9 - 1.3.5.7
- Orange 9 - 1.3.5.11
- Red 11 - 1.3.5.9
- Yellow 11 - 1.3.5.7
- Green 7 - 1.3.5.11
- Blue 7 - 1.3.5.9

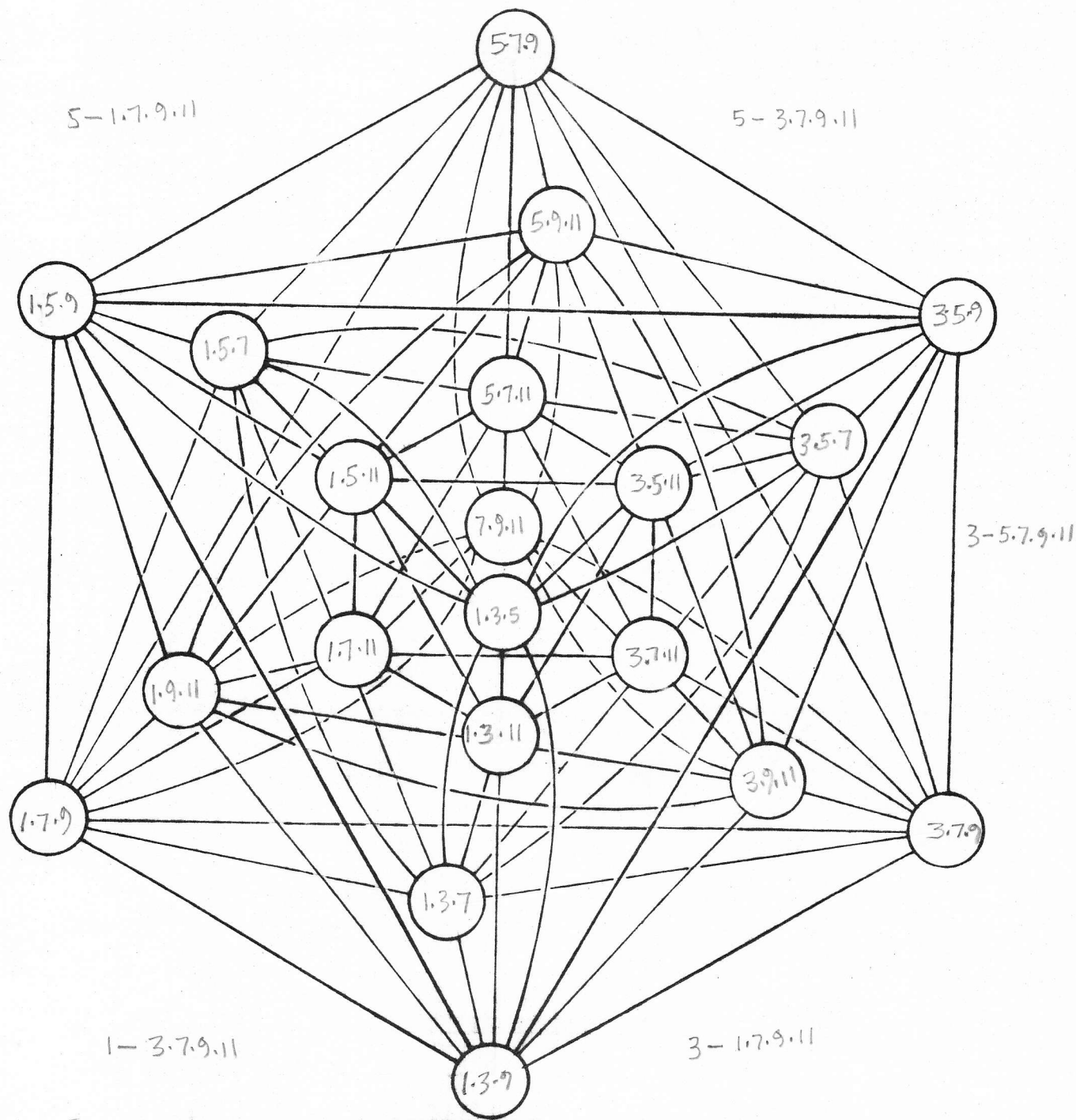
Sequence of the cycle of Hexanies thru the hole E.W. 87



5

7

Showing 3 equal spaced hexanies in color



5

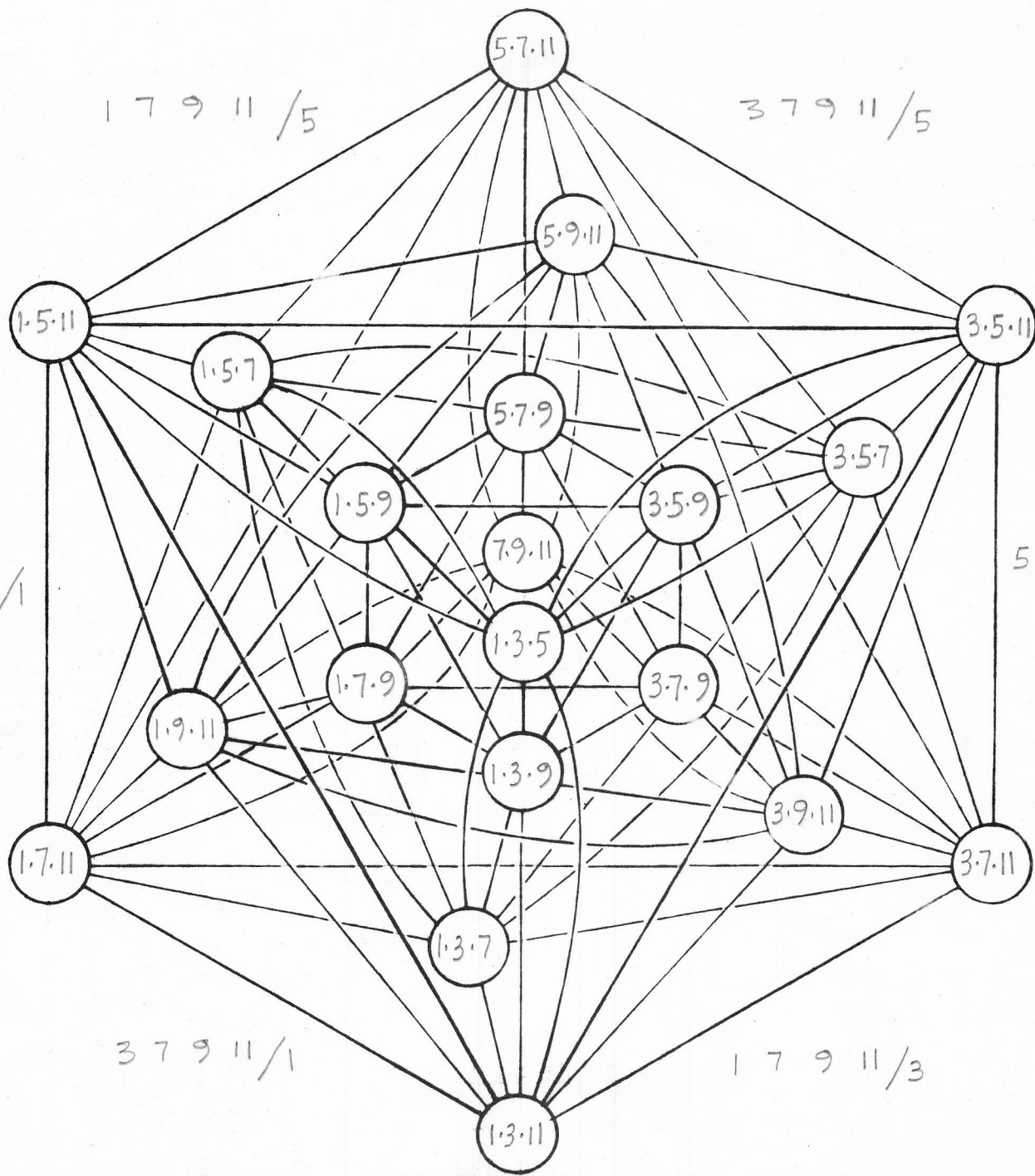
7

1

3

CONCENTRIC FACETS: 1 3 5
 RADIAL FACETS: 7 9 11

1 3 5 7 9 11
 EIKOSAKTY



1 7 9 11 / 5

3 7 9 11 / 5

5 7 9 11 / 1


5 7 9 11 / 3

3 7 9 11 / 1


1 7 9 11 / 3


1 3 5 7 / 9 INSIDE

1 3 5 9 / 7 

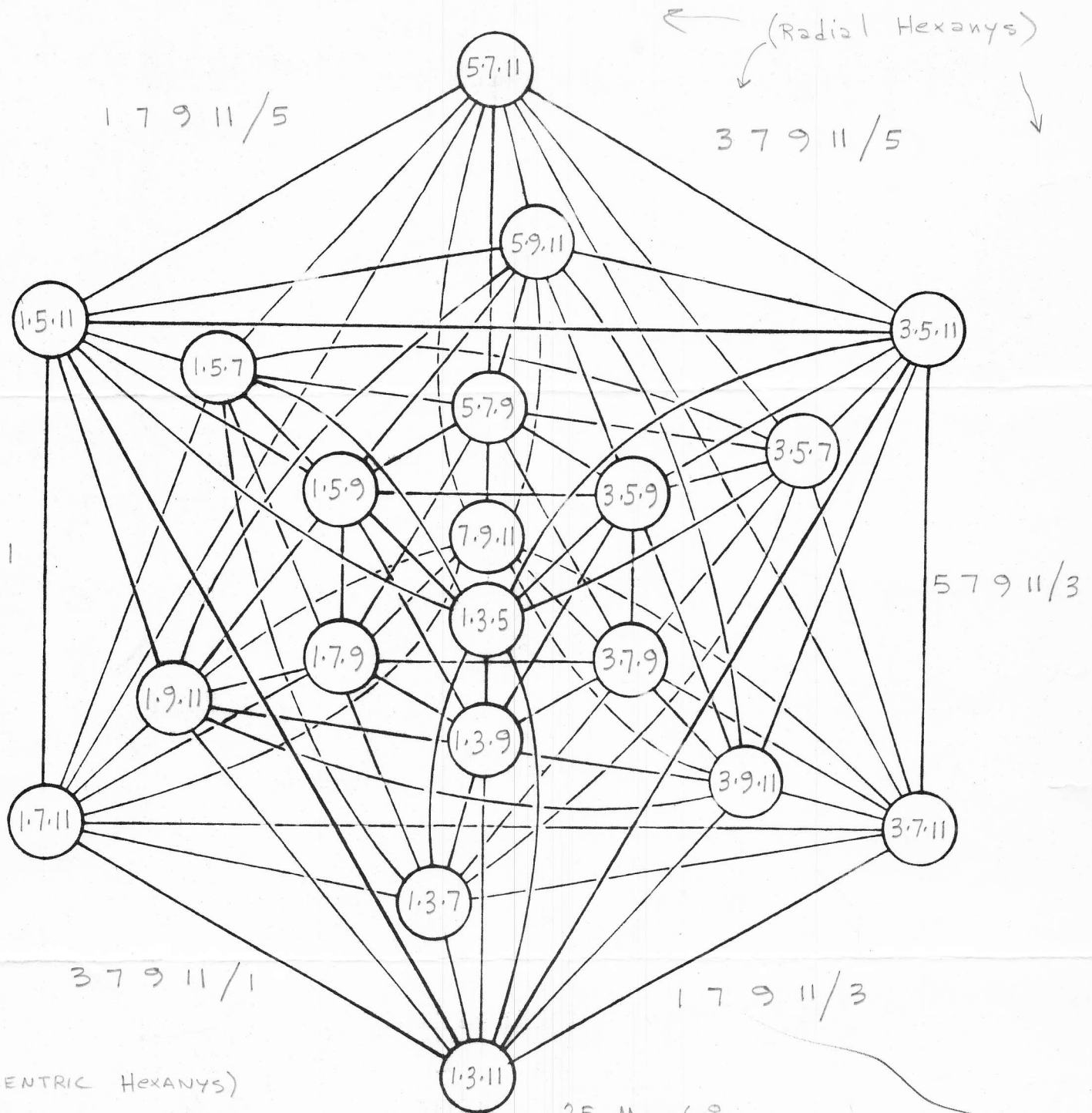
1 3 5 11 / 7 

1 3 5 7 / 11 OUTSIDE

1 3 5 9 / 11 

1 3 5 11 / 9 

Radial Facets: 7 9 11
 Concentric Facets: 1 3 5



(CONCENTRIC HEXANYS)

1 3 5 7 / 9 INSIDE

1 3 5 9 / 7

1 3 5 11 / 7

1 3 5 7 / 11 OUTSIDE

1 3 5 9 / 11

1 3 5 11 / 9

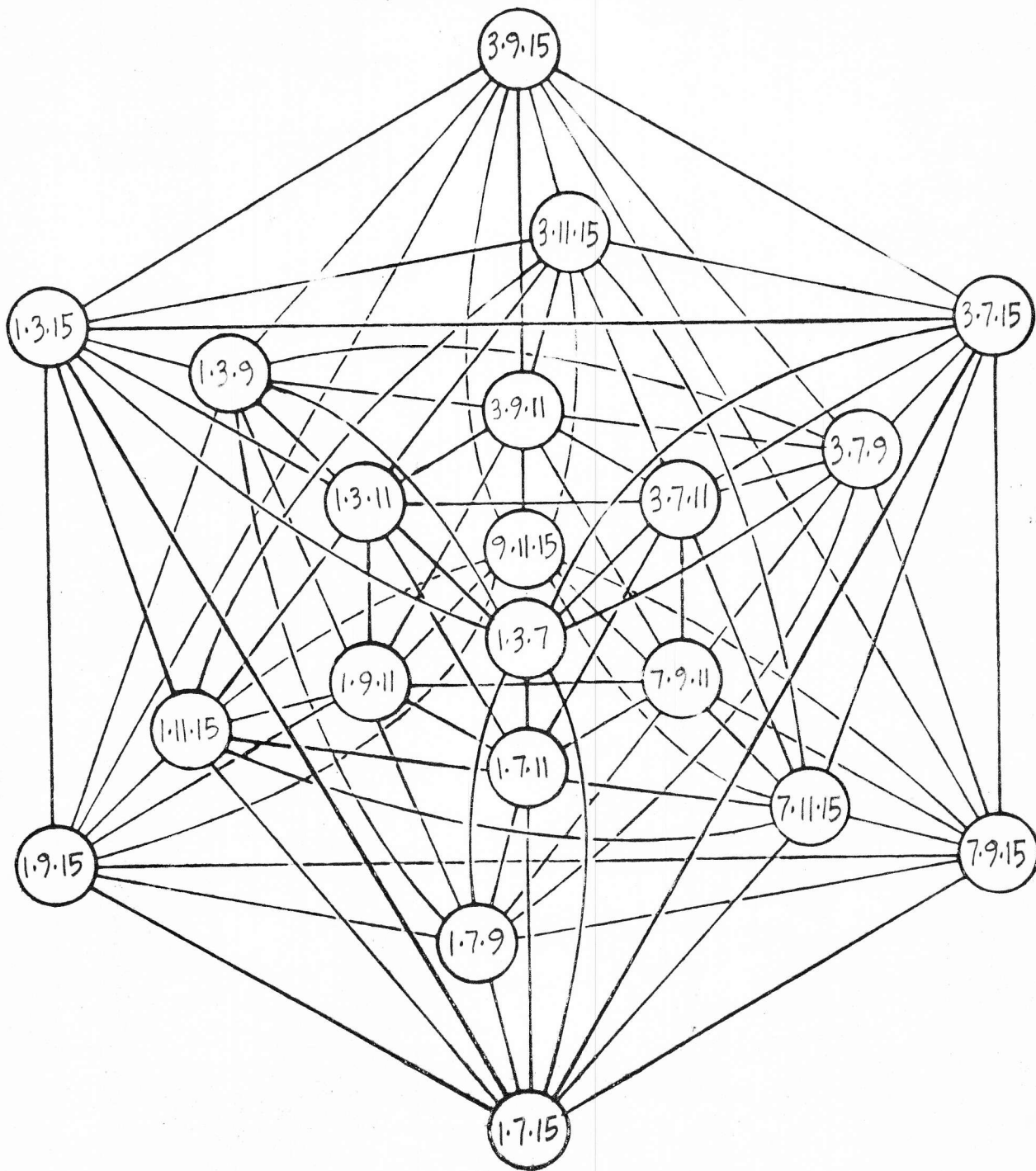
25 Mar 68

Dear John,

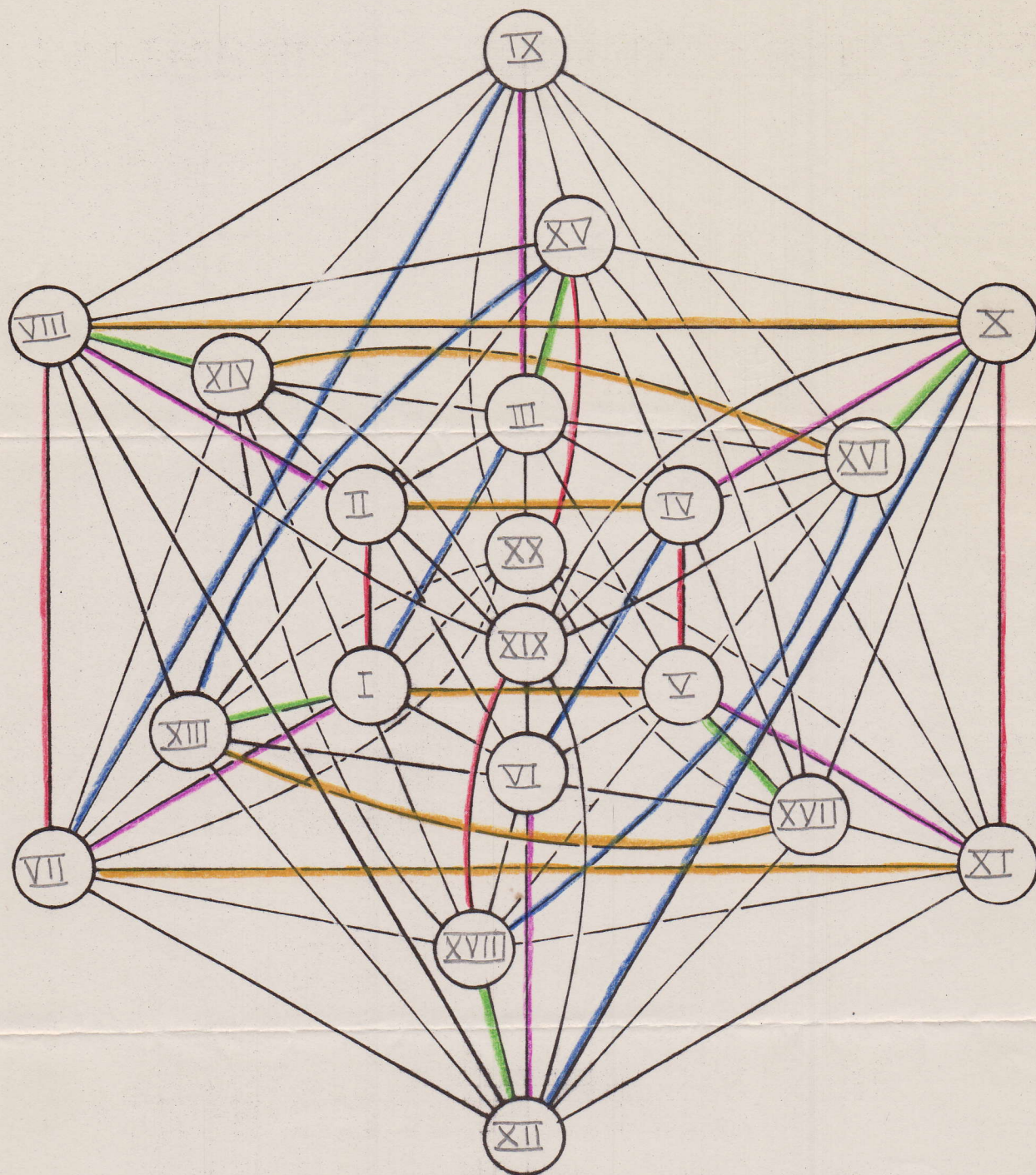
This represents the sort of useful information that can be read from this model. A more complete picture would require 60 views, 4 for each of the 15 hexany species. The 6 Radial Hexanys are a flanking circle, as are the 6 concentric Hexanys. The 2 circles are, believe, involutions of each other.

E. Wilson 68 Ew

1 3 7 9 11 15 EIKOSANY
Pre-issue by Err Wilson Aug 1968
All rights reserved



Dear John,

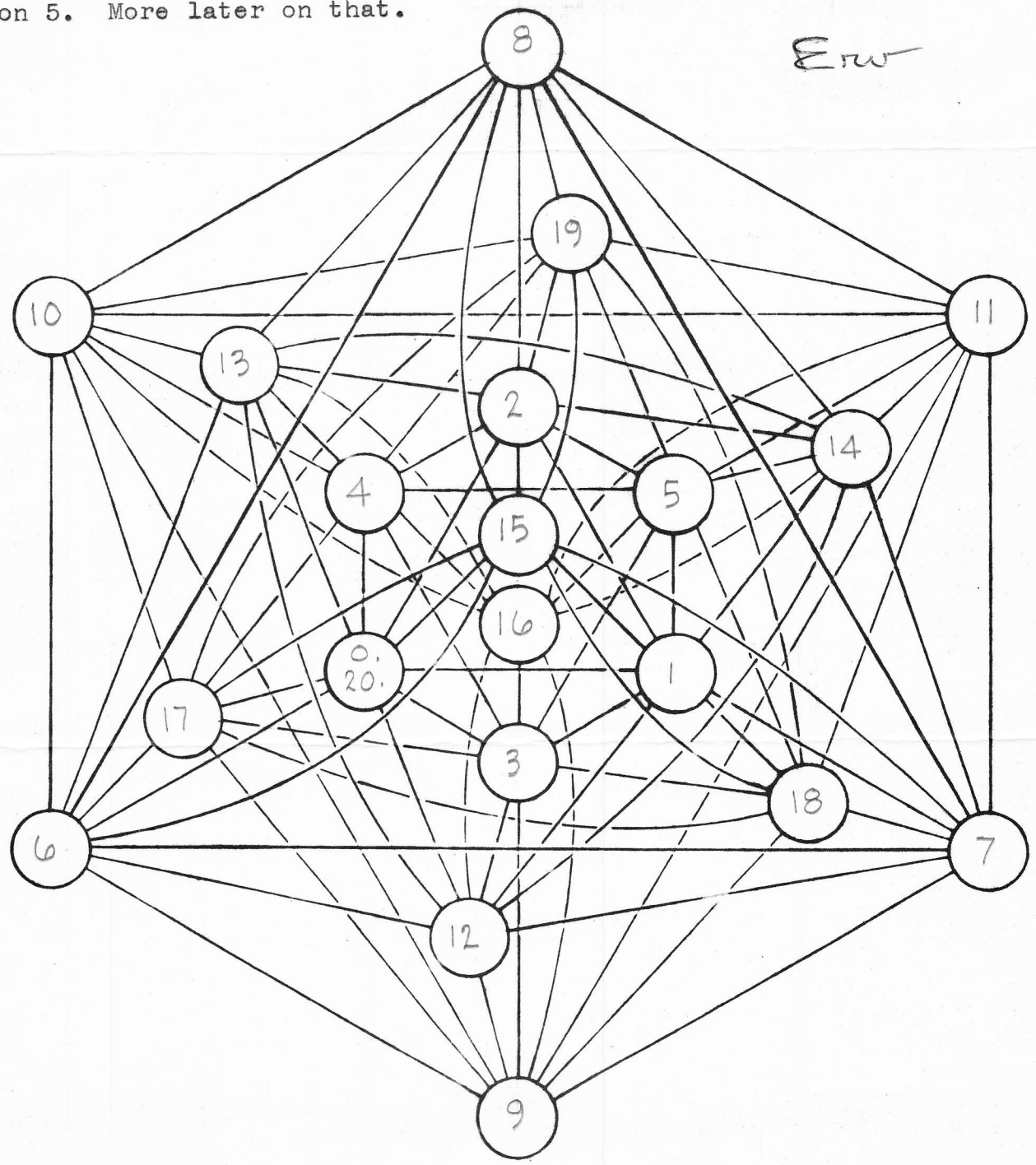


There are 15 primary intervals in the Eikosany, each of which occurs 6 times. However, the 20 members may be related to each other using some combination of 5 intervals. Taking the inside hexany from your tables I add D to each member to get the outside hexany; I add E to members I, III, & V and subtract E from members VIII, X, & ~~XVIII~~ XII to get 6 of the mediating tones; and finally I add A to XVIII To get XIX, and subtract A from XV to get XX. (Note; D should not exceed 1/2 the number of tones in the system or the inside and outside hexany will merely change positions) Each Eikosany will still repeat itself in a spectrum of configurations 15 times, once about each of its component hexany species. This is not a bad piece of information as it answers the question; 'What Eikosany (Eikosany) if any is this hexany a component of?'

However, in the larger numbered systems D and E could have a series of values, and the answer would become voluminous. A more compact answer would be to the question: 'How many Eikosany are there in a given system?' and print one representative configuration of each.' It is not immediately apparent to me how this question can be simply presented.

Below is an articulate Eikosany in 20 tones. I used the above described sequence to locate it. As yet I have no idea how many others there are in 20 T.

I am interested in an exploration of 'Ultra' or sub-threshold systems having high efficiency and articulation. 181 is a good borderline example, articulating thru the harmonic decad; its worst defect is -.28 on 5. More later on that.

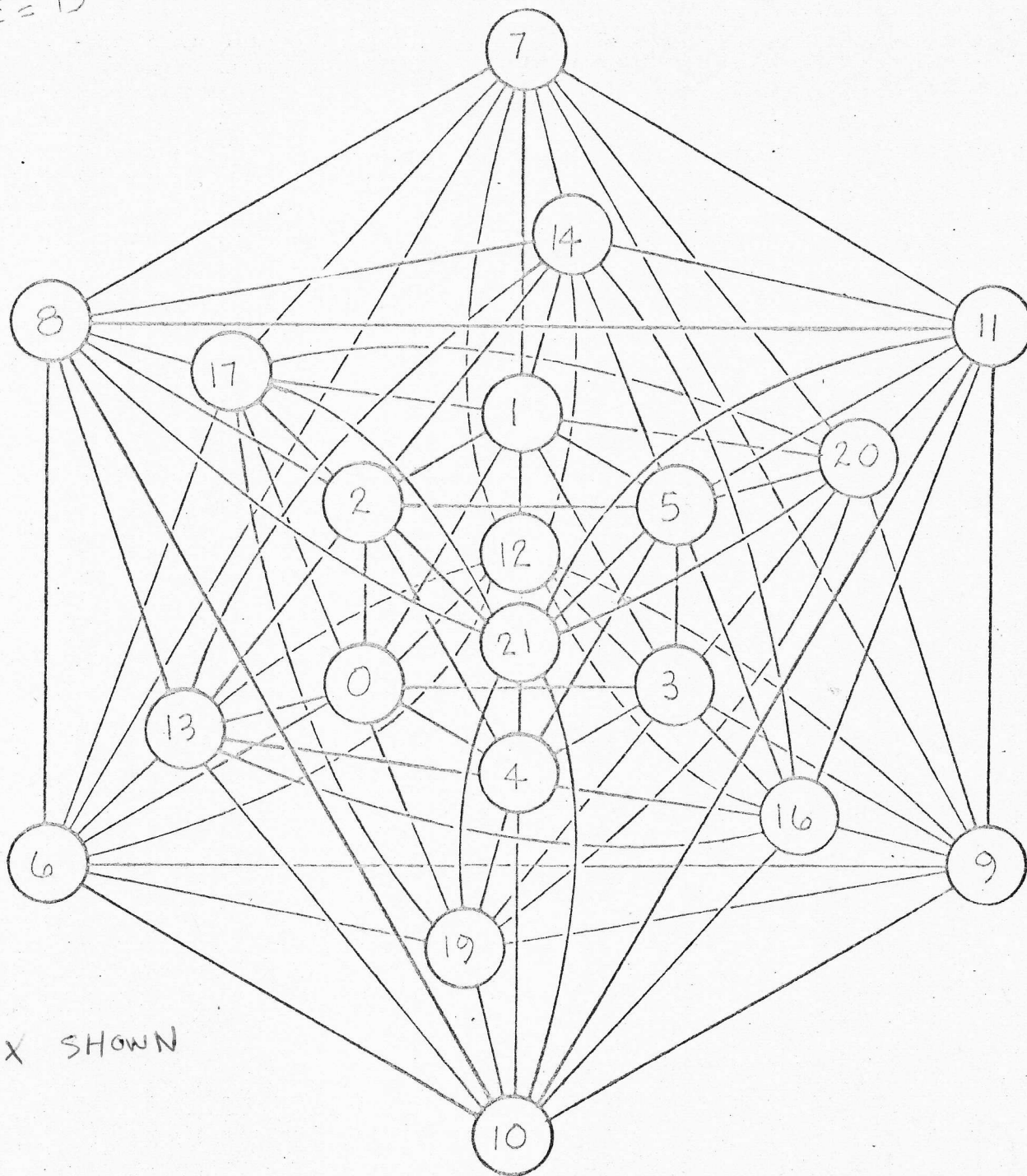


group (2)

Transformation of $D=8, E=15$

(A)

$D=6$
 $E=13$



IX SHOWN

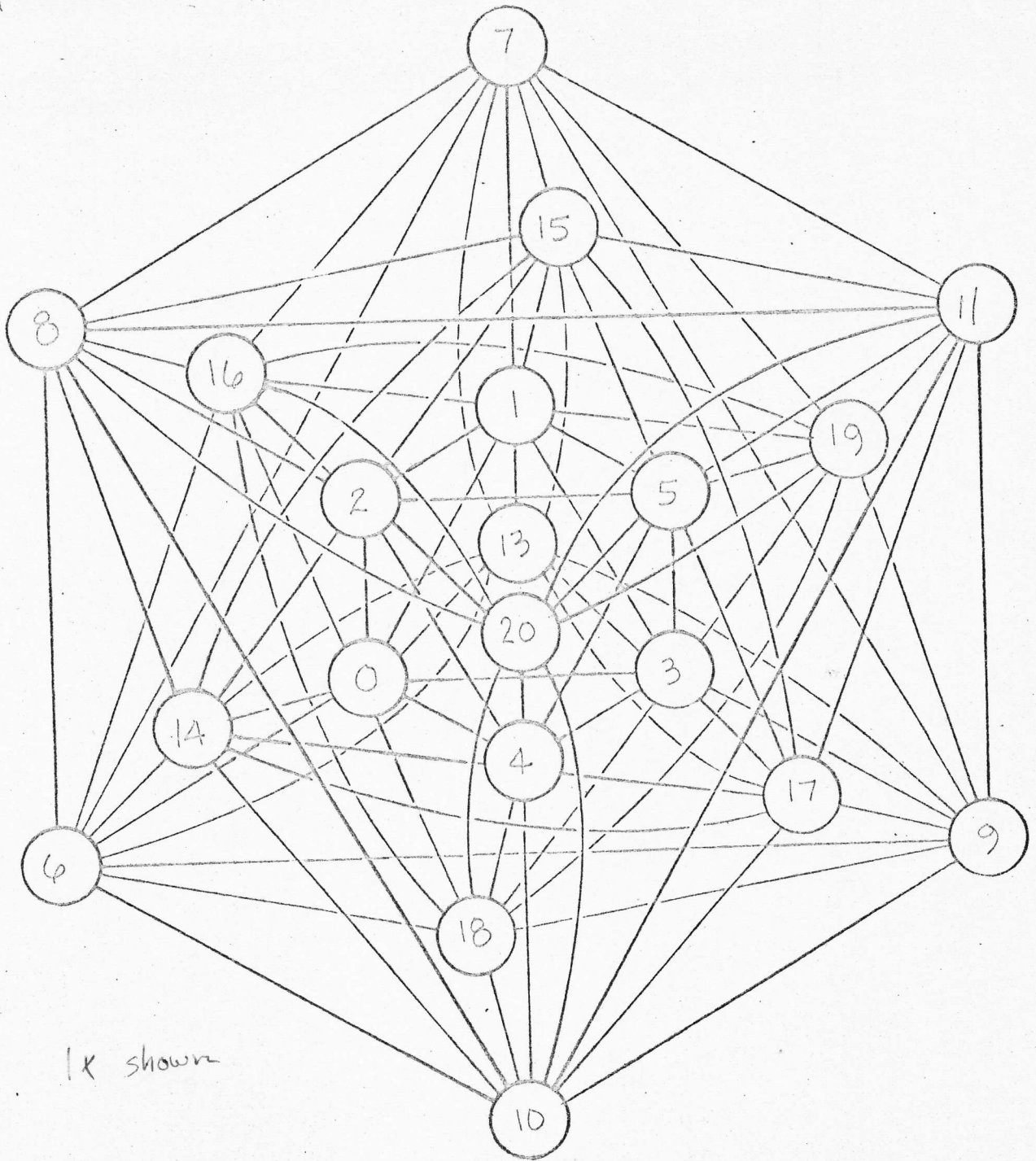
1x	0	1	3	12	21	6	1	2	3	6	9	1
3x	0	3	9	14	19	18	3	6	5	4	1	3
5x	0	5	15	16	17	8	5	3	7	1	1	5
7x	0	7	21	18	15	20	7	8	3	2	1	1
9x	0	9	5	20	13	10	5	4	1	3	7	2

See Book A

group (2)

D=6
E=14

(B)



1x shown

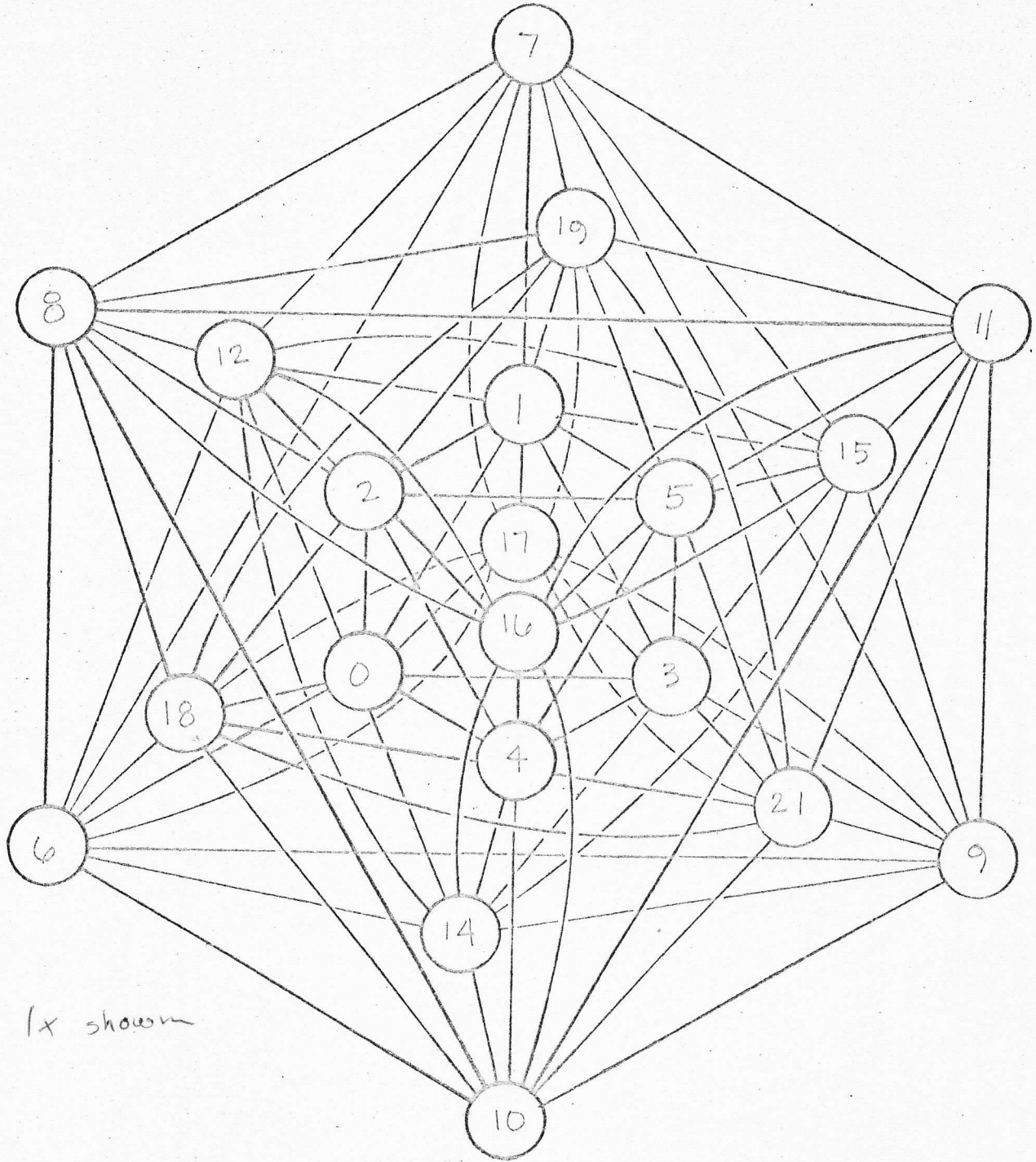
1x	0	1	3	7	13	21
3x	0	3	9	21	17	19
5x	0	5	15	13	21	17
7x	0	7	21	5	3	15
9x	0	9	5	19	7	13

1	2	4	6	8	1
3	6	8	2	2	1
5	8	2	2	4	1
3	2	2	8	6	1
5	2	2	4	6	3

see book A

Group (2)
 $D = 6$
 $E = 10$ (-4)

(C)

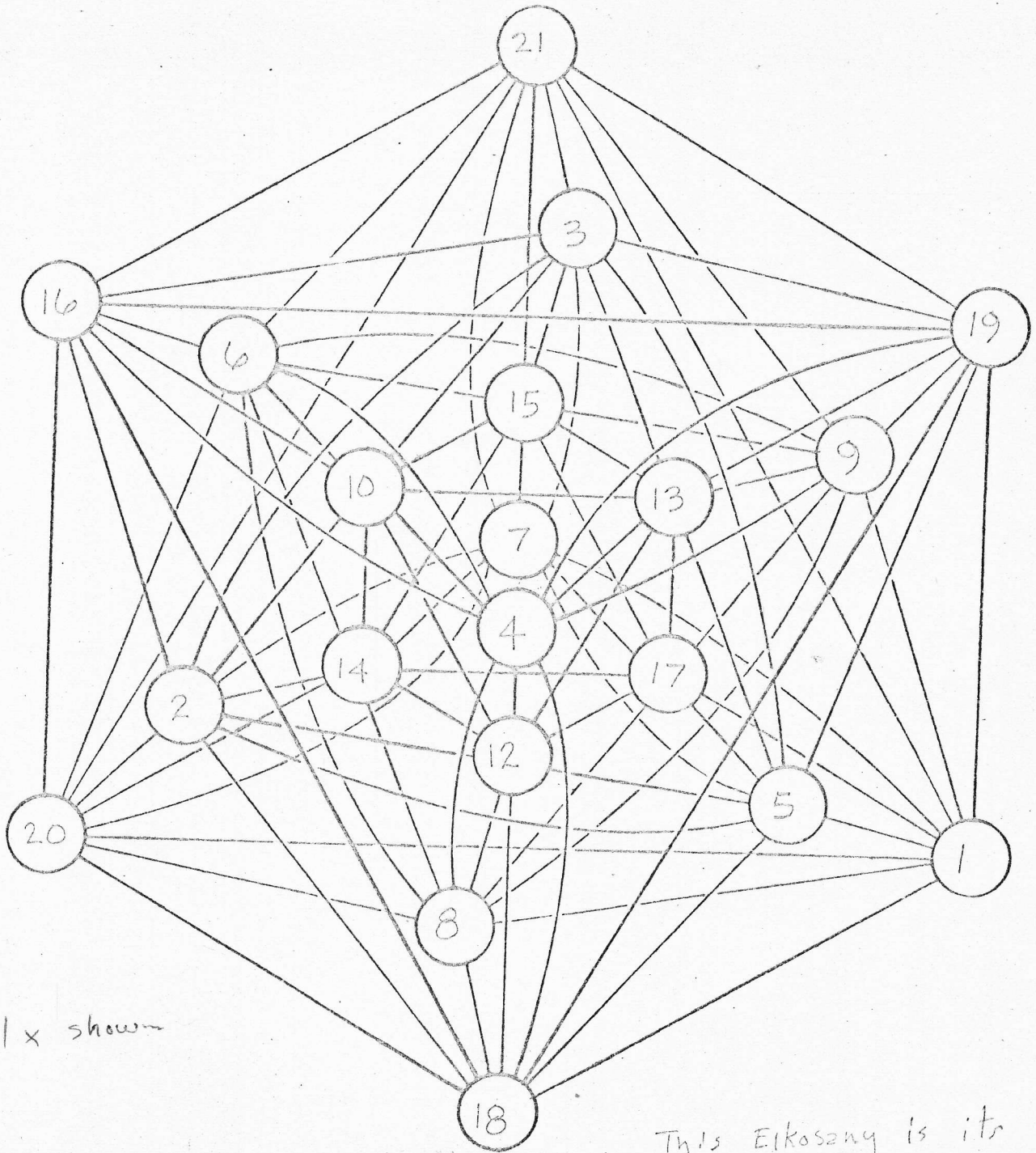


ix shown

1x	0	1	3	11	17	21
3x	0	3	9	11	7	19
5x	0	5	15	11	19	17
7x	0	7	21	11	9	15
9x	0	9	5	11	21	13

1	2	8	6	4	1
3	4	2	2	8	3
5	6	4	2	2	3
7	2	2	4	6	1
5	4	2	2	8	1

see bk a

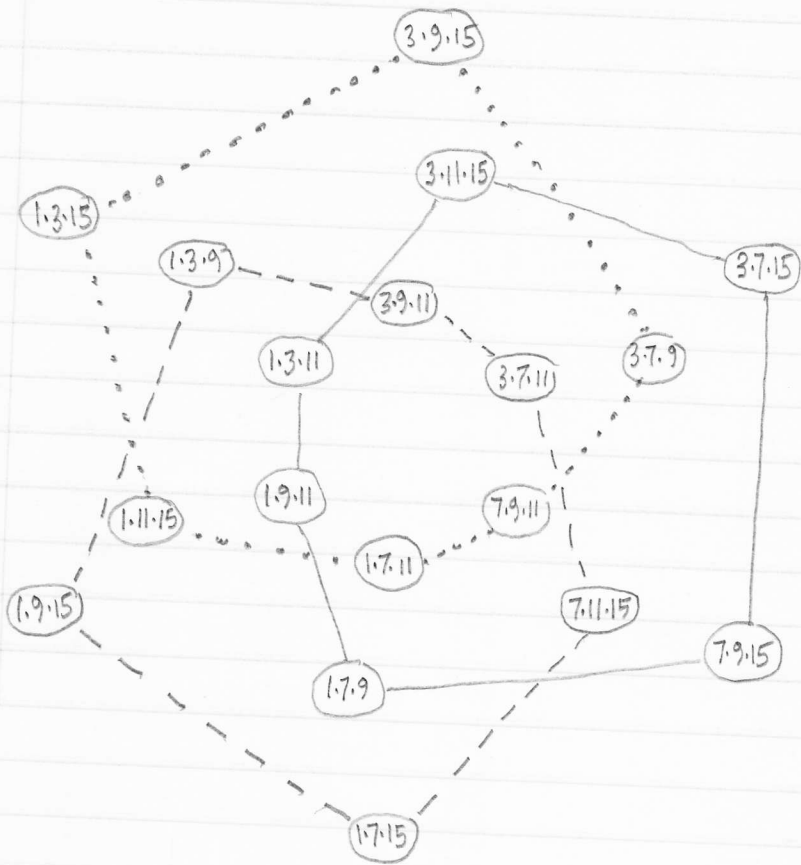


1x shown

This Etkosany is its own Transforms

1x	0	1	3	5	9	15
3x	0	3	9	15	5	1
5x	0	5	15	3	1	9
7x	0	7	21	13	19	17
9x	0	9	5	1	15	3

1	2	2	4	6	7
1	2	2	4	6	7
1	2	2	4	6	7
7	6	4	2	2	1
1	2	2	4	6	7



Solid Hexagon

1	11	3	15	7	9
1	11	3			
	11	3	15		
		3	15	7	
			15	7	9
1				7	9
1	11				9

Dashed Hexagon

3	11	7	15	1	9
3	11	7			
	11	7	15		
		7	15	1	
			15	1	9
3				1	9
3	11				9

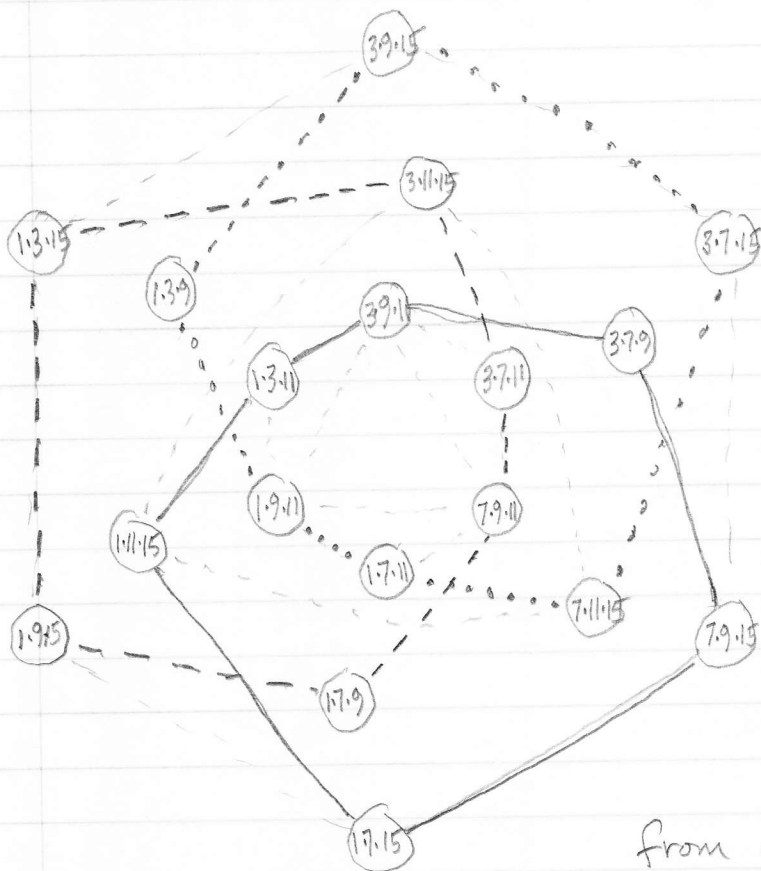
Dotted Hexagon

7	11	1	15	3	9
7	11	1			
	11	1	15		
		1	15	3	
			15	3	9
7				3	9
7	11				9

Sketch of Three Complementary Hexagon Cycles (for K.G.)

(Ref fig 10b in D'alessandro)

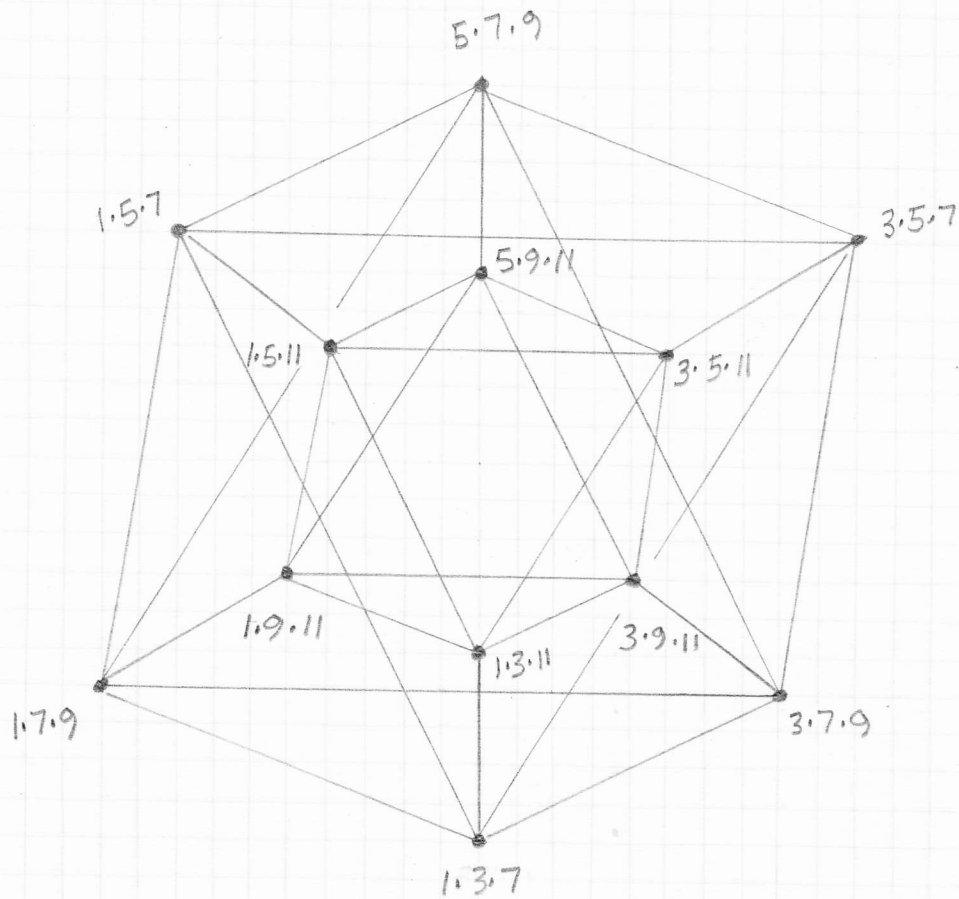
Thursday July 9, 1998 - E.W.



from a suggestion by Craig Grady

<u>Solid Hexagon</u>	<u>Dotted Hexagon</u>	<u>Dashed Hexagon</u>
11 3 9 7 15 1	11 1 9 3 15 7	3 11 7 9 1 15
11 3 9	11 1 9	3 11 7
3 9 7	1 9 3	11 7 9
9 7 15	9 3 15	7 9 1
7 15 1	3 15 7	9 1 15
11 15 1	11 15 7	3 1 15
11 3 1	11 1 7	3 11 15

Ref. 1 3 7 9 11 15 Eikosany Pre-issue by Erv Wilson Aug 1968,
 fig 10b in D'alessandro Like a Hurricane, XH XII, spring 1989

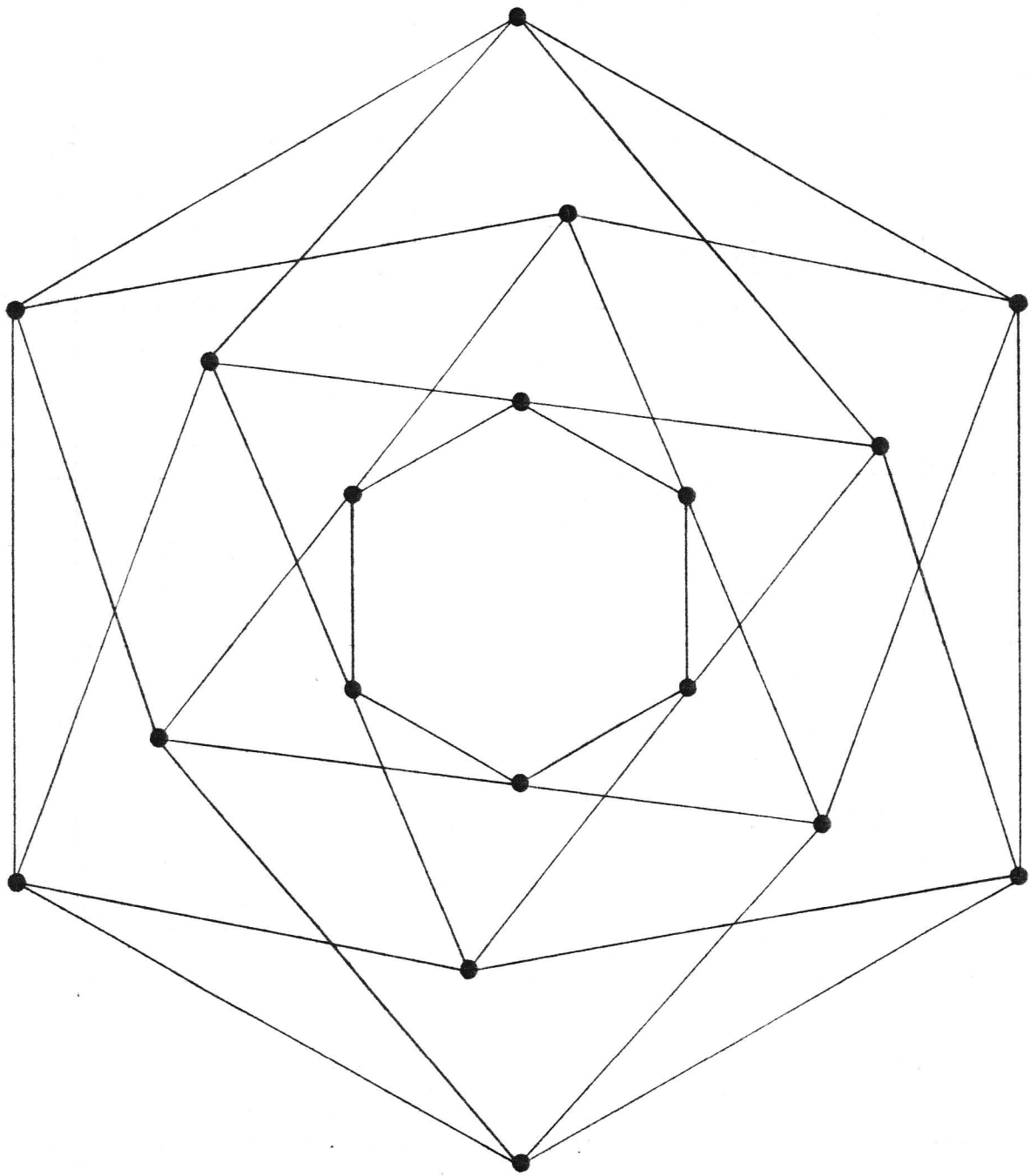


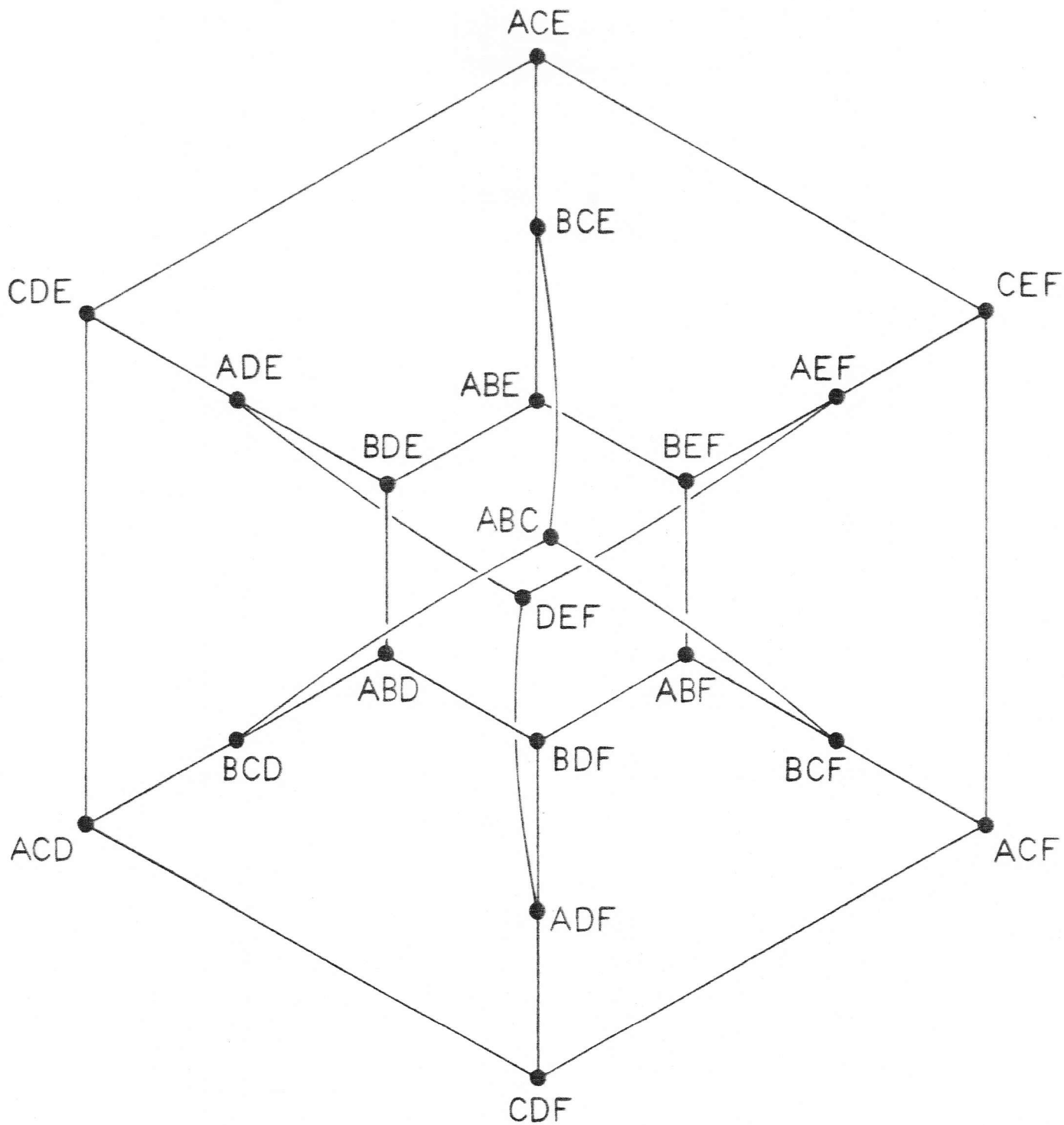
* ABCDEF
 ABCD
 BCDE
 CDEF
 A DEF
 AB EF
 ABC F

* a [?] non-mirroring cycle of six hexamies
 or six tetrads

ABCDEF
 ABCD
 CDEF
 AB EF

ABCDEF *
 ABC E
 BCDF
 ACDE
 BDEF
 AC EF
 ABD F





EIKOSANY

